

Appendix

Basic Program for estimating the parameters of action potential using GA

```
ff='testfunction'; % objective function  
npar=100; % number of optimization variables  
varhi=100; varlo=0; % variable limits  
maxit=600; % max number of iterations  
minCost=-9999999; % minimum
```

%_____

```
% III GA parameters  
popsize=90; % set population size  
mutrate=0.001; % set mutation rate  
selection=2; % fraction of population kept  
Nt=npar; % continuous parameter GA Nt=#variables  
keep=floor(selection*popsize); % #population  
% members that survive  
nmut=ceil((popsize-1)*Nt*mutrate); % total number of  
% mutations  
M=ceil((popsize-keep)/2); % number of matings  
%
```

%_____

```
% Create the initial population  
iga=0; % generation counter  
%initialized  
par=(varhi-varlo)*rand(popsize,npar)+varlo; % random  
simulationtime=5;  
dt1=0.01;t1=0:dt1:simulationtime;  
changetime=[0];currentlevel=[20];  
I(1:500)=currentlevel;  
I(501:2000)=0;  
I(2001: numel(t1))=currentlevel;  
Cost=0;  
b=0.125*exp(Cost/80);  
a=0.01*(Cost+10)/(exp((Cost+10)/10)-1);
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b1=4*exp(-Cost/18);
a1=0.1*(-Cost+25)/(exp((-Cost+25)/10)-1);
b2=1/(exp((Cost+30)/10)+1);a2=0.07* exp(Cost/20);
m1(1)=a/(a+b);
n(1)=a1/(a1+b1);
h(1)=a2/(a2+b2);
for i=1:numel(t1)-1;
    b(i)=0.125*exp(-Cost(i)/80);
    a(i)=0.01*(-Cost(i)+10)/(exp((-Cost(i)+10)/10)-1);
    b1(i)=4*exp(-Cost(i)/18);
    a1(i)=0.1*(-Cost(i)+25)/(exp((-Cost(i)+25)/10)-1);
    b2(i)=1/(exp((-Cost(i)+30)/10)+1);a2(1,i)=0.07* exp(-Cost(i)/20);
    ENa = 115;
    EK = -12;
    El =10.6;
    gNamax = 120; %max conductances
    gKmax = 35;
    glmax = 0.3;
    gNa = gNamax*m1(i).^3*h(i);
    gK = gKmax*n(i).^4;
    gl = glmax;
    INa = (((gNa*(Cost(i)-ENa)));
    IK = gK*(Cost(i)-EK);
    Il = gl*(Cost(i)-El);
    Cost(i+1) = (dt1*(I(i)-( INa + IK + Il)))+Cost(i);
    m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
    n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
    h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);
end
Cost=Cost-20;
% calculates population Cost
% using ff
[Cost,ind]=sort(Cost); % min Cost in element 1
% sort continuous

```

```

minc(1)=min(Cost); % minc contains min of
meanc(1)=mean(Cost); % meanc contains mean of
%population
%population
% Iterate through generations
while iga<maxit
    iga=iga+1; % increments generation counter
    %pair and mate
    M=ceil((popsize-keep)/2); % number of matings
    prob=flipud([1:keep]/sum([1:keep])); % weights
    % chromosomes
    odds=[0 cumsum(prob(1:keep))]; % probability
    % distribution
    % function
    pick1=rand(1,M); % mate #1
    pick2=rand(1,M);
    end% mate #2
    % ma and pa contain the indicies of the chromosomes
    % that will mate
    ic=1;
    while ic<=M
        for id=2:keep+1
            if pick1(ic)<=odds(id) && pick1(ic)>odds(id-1)
                ma(ic)=id-1;
            end
            if pick2(ic)<=odds(id) && pick2(ic)>odds(id-1)
                pa(ic)=id-1;
            end
        end
        ic=ic+1;
    end
    % Performs mating using single point crossover
    ix=1:2:keep; % index of mate #1
    xp=ceil(rand(1,M)*Nt); % crossover point

```

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r=rand(1,M); % mixing parameter
for ic=1:M
    xy=par(ma(ic),xp(ic))-par(pa(ic),xp(ic)); % ma and pa
    % mate
    par(keep+ix(ic),:)=par(ma(ic),:); % 1st offspring
    par(keep+ix(ic)+1,:)=par(pa(ic),:); % 2nd offspring
    par(keep+ix(ic),xp(ic))=par(ma(ic),xp(ic))-r(ic).*xy;
    % 1st
    par(keep+ix(ic)+1,xp(ic))=par(pa(ic),xp(ic))+r(ic).*xy;
    % 2nd
    if xp(ic)<npar % crossover when last variable not
        %selected
        par(keep+ix(ic),:)=[par(keep+ix(ic),1:xp(ic))
        par(keep+ix(ic)+1,xp(ic)+1:npar)];
        par(keep+ix(ic)+1,:)=[par(keep+ix(ic)+1,1:xp(ic))
        par(keep+ix(ic),xp(ic)+1:npar)];
    end % if
    end
    % Mutate the population
    mrow=sort(ceil(rand(1,nmut)*(popsize-1))+1);
    mcol=ceil(rand(1,nmut)*Nt);
    % ma and pa contain the indicies of the chromosomes
    % that will mate
    ic=1;
    while ic<=M
        for id=2:keep+1
            if pick1(ic)<=odds(id) && pick1(ic)>odds(id-1)
                ma(ic)=id-1;
            end
            if pick2(ic)<=odds(id) && pick2(ic)>odds(id-1)
                pa(ic)=id-1;
            end
        end
        ic=ic+1;
    end
end

```

```

end

% The new offspring and mutated chromosomes are
% evaluated

simulationtime=5;

dt1=0.01;t1=0:dt1:simulationtime;
changetime=[0];currentlevel=[20];
I(1:500)=currentlevel;
I(501:2000)=0;
I(2001: numel(t1))=currentlevel;
Cost=0;
b=0.125*exp(Cost/80);
a=0.01*(Cost+10)/(exp((Cost+10)/10)-1);
b1=4*exp(-Cost/18);
a1=0.1*(-Cost+25)/(exp((-Cost+25)/10)-1);
b2=1/(exp((Cost+30)/10)+1);a2=0.07* exp(Cost/20);
m1(1)=a/(a+b);
n(1)=a1/(a1+b1);
h(1)=a2/(a2+b2);
for i=1:numel(t1)-1;
    b(i)=0.125*exp(-Cost(i)/80);
    a(i)=0.01*(-Cost(i)+10)/(exp((-Cost(i)+10)/10)-1);
    b1(i)=4*exp(-Cost(i)/18);
    a1(i)=0.1*(-Cost(i)+25)/(exp((-Cost(i)+25)/10)-1);
    b2(i)=1/(exp((-Cost(i)+30)/10)+1);a2(1,i)=0.07* exp(-Cost(i)/20);
    ENa = 115;
    EK = -12;
    El =10.6;
    gNamax = 120; %max conductances
    gKmax = 35;
    glmax = 0.3;
    gNa = gNamax*m1(i).^3*h(i);
    gK = gKmax*n(i).^4;
    gl = glmax;
    INa = (((gNa*(Cost(i)-ENa))));

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IK = gK*(Cost(i)-EK);
Il = gl*(Cost(i)-El);
Cost(i+1) = (dt1*(I(i)-( INa + IK + Il)))+Cost(i);
m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);
end
Cost=Cost-20;
% Sort the Costs and associated parameters
% [Cost,ind]=sort(Cost);
%_____
% Do statistics for a single nonaveraging run
minc(iga+1)=min(Cost);
meanc(iga+1)=mean(Cost);
%_____
% Stopping criteria
if iga>maxit || Cost(1)<minCost
break
end
[iga Cost(1)];
%iga
num2str(Cost(1))
disp(['best solution'])
disp([num2str(par(1,:))])
disp('continuous genetic algorithm')
simulationtime=5;
dt1=0.01;t1=0:dt1:simulationtime;
changetime=[0];currentlevel=[20];
I(1:500)=currentlevel;
I(501:2000)=0;
I(2001:numel(t1))=currentlevel;
V=0;
b=0.125*exp(V/80);
a=0.01*(V+10)/(exp((V+10)/10)-1);

```

```

b1=4*exp(-V/18);
a1=0.1*(-V+25)/(exp((-V+25)/10)-1);
b2=1/(exp((V+30)/10)+1);a2=0.07* exp(V/20);
m1(1)=a/(a+b);
n(1)=a1/(a1+b1);
h(1)=a2/(a2+b2);
for i=1:numel(t1)-1;
    b(i)=0.125*exp(-V(i)/80);
    a(i)=0.01*(-V(i)+10)/(exp((-V(i)+10)/10)-1);
    b1(i)=4*exp(-V(i)/18);
    a1(i)=0.1*(-V(i)+25)/(exp((-V(i)+25)/10)-1);
    b2(i)=1/(exp((-V(i)+30)/10)+1);a2(1,i)=0.07* exp(-V(i)/20);
    ENa = 115;
    EK = -12;
    El =10.6;
    gNamax = 120; %max conductances
    gKmax = 36;
    glmax = 0.3;
    gNa = gNamax*m1(i).^3*h(i);
    gK = gKmax*n(i).^4;
    gl = glmax;
    INa = (((gNa*(V(i)-ENa))));;
    IK = gK*(V(i)-EK);
    Il = gl*(V(i)-El);
    V(i+1) = (dt1*(I(i)-( INa + IK + Il)))+V(i);
    m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
    n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
    h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);
end
V=V-20;
plot(t1,Cost,t1,V)
legend('Estimated','Reference Signal')
xlabel( 'Time in milliseconds');ylabel('Action Potential(mV)')

```

Basic Program for estimating the parameters of action potential using PSO

```
clear
ff = 'testfunction'; % Objective Function
% Initializing variables
popsize = 3000; % Size of the swarm
npar = 5; % Dimension of the problem
maxit = 600; % Maximum number of iterations
c1 = 1; % cognitive parameter
c2 = 4-c1; % social parameter
C=1; % constriction factor
% Initializing swarm and velocities
par=rand(popsize,npar); % random population of
% continuous values
vel = rand(popsize,npar); % random velocities
% Evaluate initial population
simulationtime=5;
dt1=0.01;t1=0:dt1:simulationtime;
changetime=[0];currentlevel=[20];
I(1:500)=currentlevel;
I(501:2000)=0;
I(2001:numel(t1))=currentlevel;
Cost=0;
b=0.125*exp(Cost/80);
a=0.01*(Cost+10)/(exp((Cost+10)/10)-1);
b1=4*exp(-Cost/18);
a1=0.1*(-Cost+25)/(exp((-Cost+25)/10)-1);
b2=1/(exp((Cost+30)/10)+1);a2=0.07* exp(Cost/20);
m1(1)=a/(a+b);
n(1)=a1/(a1+b1);
h(1)=a2/(a2+b2);
for i=1:numel(t1)-1;
    b(i)=0.125*exp(-Cost(i)/80);
```

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a(i)=0.01*(-Cost(i)+10)/(exp((-Cost(i)+10)/10)-1);
b1(i)=4*exp(-Cost(i)/18);
a1(i)=0.1*(-Cost(i)+25)/(exp((-Cost(i)+25)/10)-1);
b2(i)=1/(exp((-Cost(i)+30)/10)+1);a2(1,i)=0.07* exp(-Cost(i)/20);
ENa = 115;
EK = -12;
El =10.6;
gNamax = 110; %max conductances
gKmax = 35;
glmax = 0.3;
gNa = gNamax*m1(i).^3*h(i);
gK = gKmax*n(i).^4;
gl = glmax;
INa = (((gNa*(Cost(i)-ENa)));
IK = gK*(Cost(i)-EK);
Il = gl*(Cost(i)-El);
Cost(i+1) = (dt1*(I(i)-( INa + IK + Il)))+Cost(i);
m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);
end
Cost=Cost-20;
% calculates population Cost using
% ff
minc(1)=min(Cost); % min Cost
meanc(1)=mean(Cost); % mean Cost
globalmin=minc(1); % initialize global minimum
% Initialize local minimum for each particle
localpar = par; % location of local minima
localCost = Cost; % Cost of local minima
% Finding best particle in initial population
[globalCost,indx] = min(Cost);
globalpar=par(indx,:);

```

```

%%%%%%%%%%%%%%%
%%%%%
% Start iterations
iter = 0; % counter
while iter < maxit
    iter = iter + 1;
    % update velocity = vel
    w=(maxit-iter)/maxit; %inertia weiindxht
    r1 = rand(popsize,npar); % random numbers
    r2 = rand(popsize,npar); % random numbers
    vel = C*(w*vel + c1 *r1.*(localpar-par) +c2*r2.*(ones(popsize,1)*globalpar-par));
    % update particle positions
    par = par + vel; % updates particle position
    overlimit=par<=1;
    underlimit=par>=0;
    par=par.*overlimit+not(overlimit);
    par=par.*underlimit;
    % Evaluate the new swarm
    simulationtime=5;
    dt1=0.01;t1=0:dt1:simulationtime;
    changetime=[0];currentlevel=[20];
    I(1:500)=currentlevel;
    I(501:2000)=0;
    I(2001: numel(t1))=currentlevel;
    Cost=0;
    b=0.125*exp(Cost/80);
    a=0.01*(Cost+10)/(exp((Cost+10)/10)-1);
    b1=4*exp(-Cost/18);
    a1=0.1*(-Cost+25)/(exp((-Cost+25)/10)-1);
    b2=1/(exp((Cost+30)/10)+1);a2=0.07* exp(Cost/20);
    m1(1)=a/(a+b);
    n(1)=a1/(a1+b1);
    h(1)=a2/(a2+b2);
    for i=1:numel(t1)-1;

```

```

b(i)=0.125*exp(-Cost(i)/80);
a(i)=0.01*(-Cost(i)+10)/(exp((-Cost(i)+10)/10)-1);
b1(i)=4*exp(-Cost(i)/18);
a1(i)=0.1*(-Cost(i)+25)/(exp((-Cost(i)+25)/10)-1);
b2(i)=1/(exp((-Cost(i)+30)/10)+1);a2(1,i)=0.07* exp(-Cost(i)/20);
ENa = 115;
EK = -12;
El =10.6;
gNamax = 110; %max conductances
gKmax = 35;
glmax = 0.3;
gNa = gNamax*m1(i).^3*h(i);
gK = gKmax*n(i).^4;
gl = glmax;
INa = (((gNa*(Cost(i)-ENa)));
IK = gK*(Cost(i)-EK);
Il = gl*(Cost(i)-El);
Cost(i+1) = (dt1*(I(i)-( INa + IK + Il)))+Cost(i);
m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i)
end
Cost=Cost-20;
% calculating alphas abd betas for the initial membrane voltage
% evaluates Cost of swarm
% Updating the best local position for each particle
betterCost = Cost < localCost;
localCost = localCost.*not(betterCost) +Cost.*betterCost;
localpar((betterCost),:) =par((betterCost),:);
% Updating index g
[temp, t] = min(localCost);
if temp<globalCost
globalpar=par(t,:); indx=t; globalCost=temp;
end

```

```

[iter globalpar globalCost]; % print output each
% iteration

minc(iter+1)=min(Cost); % min for this
% iteration

globalmin(iter+1)=globalCost; % best min so far
meanc(iter+1)=mean(Cost); % avg. Cost for
% this iteration

end% while

iters=0:length(minc)-1;
simulationtime=5;
dt1=0.01;t1=0:dt1:simulationtime;
changetime=[0];currentlevel=[20];
I(1:500)=currentlevel;
I(501:2000)=0;
I(2001:numel(t1))=currentlevel;
V=0;
b=0.125*exp(V/80);
a=0.01*(V+10)/(exp((V+10)/10)-1);
b1=4*exp(-V/18);
a1=0.1*(-V+25)/(exp((-V+25)/10)-1);
b2=1/(exp((V+30)/10)+1);a2=0.07* exp(V/20);
m1(1)=a/(a+b);
n(1)=a1/(a1+b1);
h(1)=a2/(a2+b2);

for i=1:numel(t1)-1;
    b(i)=0.125*exp(-V(i)/80);
    a(i)=0.01*(-V(i)+10)/(exp((-V(i)+10)/10)-1);
    b1(i)=4*exp(-V(i)/18);
    a1(i)=0.1*(-V(i)+25)/(exp((-V(i)+25)/10)-1);
    b2(i)=1/(exp((-V(i)+30)/10)+1);a2(1,i)=0.07* exp(-V(i)/20);
    ENa = 115;
    EK = -12;
    El =10.6;
    gNamax = 120; %max conductances

```

```

gKmax = 36;
glmax = 0.3;
gNa = gNamax*m1(i).^3*h(i);
gK = gKmax*n(i).^4;
gl = glmax;
INa = (((gNa*(V(i)-ENa)))); 
IK = gK*(V(i)-EK);
Il = gl*(V(i)-El);
V(i+1) = (dt1*(I(i)-( INa + IK + Il)))+V(i);
m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);
end
V=V-20;
plot(t1,Cost,t1,V)
legend('Estimated','Reference Signal')
xlabel( 'Time in milliseconds');ylabel('-V(mV)')

```

Basic Program for estimating parameters for action potential using FA

```

clc;
clear;
close all;
%% Problem Definition
simulationtime=5;
dt1=0.01;t1=0:dt1:simulationtime;
changetime=[0];currentlevel=[20];
I(1:500)=currentlevel;
I(501:2000)=0;
I(2001: numel(t1))=currentlevel;

```

```

Cost=0;

b=0.125*exp(Cost/80);

a=0.01*(Cost+10)/(exp((Cost+10)/10)-1);

b1=4*exp(-Cost/18);

a1=0.1*(-Cost+25)/(exp((-Cost+25)/10)-1);

b2=1/(exp((Cost+30)/10)+1);a2=0.07* exp(Cost/20);

m1(1)=a/(a+b);

n(1)=a1/(a1+b1);

h(1)=a2/(a2+b2);

for i=1:numel(t1)-1;

    b(i)=0.125*exp(-Cost(i)/80);

    a(i)=0.01*(-Cost(i)+10)/(exp((-Cost(i)+10)/10)-1);

    b1(i)=4*exp(-Cost(i)/18);

    a1(i)=0.1*(-Cost(i)+25)/(exp((-Cost(i)+25)/10)-1);

    b2(i)=1/(exp((-Cost(i)+30)/10)+1);a2(1,i)=0.07* exp(-Cost(i)/20);

ENa = 115;

EK = -12;

El = 10.6;

gNamax = 120; %max conductances

gKmax = 35;

glmax = 0.3;

gNa = gNamax*m1(i).^3*h(i);

gK = gKmax*n(i).^4;

gl = glmax;

```

```

INa = (((gNa*(Cost(i)-ENa)));
IK = gK*(Cost(i)-EK);
Il = gl*(Cost(i)-El);
Cost(i+1) = (dt1*(I(i)-( INa + IK + Il)))+Cost(i);
m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);
n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);
h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);
end
Cost=Cost-20;
% Cost Function
nVar=5; % Number of Decision Variables
VarSize=[1 nVar]; % Decision Variables Matrix Size
VarMin=-10; % Decision Variables Lower Bound
VarMax= 10; % Decision Variables Upper Bound
%% Firefly Algorithm Parameters
MaxIt=200; % Maximum Number of Iterations
nPop=25; % Number of Fireflies (Swarm Size)
gamma=1; % Light Absorption Coefficient
beta0=2; % Attraction Coefficient Base Value
alpha=0.2; % Mutation Coefficient
alpha_damp=0.98; % Mutation Coefficient Damping Ratio
delta=0.05*(VarMax-VarMin); % Uniform Mutation Range
m=2;
if isscalar(VarMin) && isscalar(VarMax)

```

```

dmax = (VarMax-VarMin)*sqrt(nVar);

else

    dmax = norm(VarMax-VarMin);

end

%% Initialization

% Empty Firefly Structure

firefly.Position=[];

firefly.Cost=[];

% Initialize Population Array

pop=repmat(firefly,nPop,1);

% Initialize Best Solution Ever Found

BestSol.Cost=inf;

% Create Initial Fireflies

for i=1:nPop

    pop(i).Position=unifrnd(VarMin,VarMax,VarSize);

    % pop(i).Cost=CostFunction(pop(i).Position);

    if pop(i).Cost<=BestSol.Cost

        BestSol=pop(i);

    end

end

% Array to Hold Best Cost Values

BestCost=zeros(MaxIt,1);

%% Firefly Algorithm Main Loop

for it=1:MaxIt

```

```

newpop=repmat(firefly,nPop,1);

for i=1:nPop

    newpop(i).Cost = inf;

    for j=1:nPop

        if pop(j).Cost < pop(i).Cost

            rij=norm(pop(i).Position-pop(j).Position)/dmax;

            beta=beta0*exp(-gamma*rij^m);

            e=delta*unifrnd(-1,+1,VarSize);

            %e=delta*randn(VarSize);

            newsol.Position = pop(i).Position ...

                + beta*rand(VarSize).*(pop(j).Position-pop(i).Position) ..

            newsol.Position=max(newsol.Position,VarMin);

            newsol.Position=min(newsol.Position,VarMax);

            newsol.Cost=CostFunction(newsol.Position);

            if newsol.Cost <= newpop(i).Cost

                newpop(i) = newsol;

                if newpop(i).Cost<=BestSol.Cost

                    BestSol=newpop(i)

                end

            end

        end

    end

end

% Merge

```

```

pop=[pop newpop];

% Sort

% Truncate

pop=pop(1:nPop);

% Store Best Cost Ever Found

% Show Iteration Information

disp(['Iteration ' num2str(it) ': Best Cost = ' num2str(BestCost(it))]);

% Damp Mutation Coefficient

alpha = alpha*alpha_damp;

end

simulationtime=5;

dt1=0.01;t1=0:dt1:simulationtime;

changetime=[0];currentlevel=[20];

I(1:500)=currentlevel;

I(501:2000)=0;

I(2001: numel(t1))=currentlevel;

V=0;

b=0.125*exp(V/80);

a=0.01*(V+10)/(exp((V+10)/10)-1);

b1=4*exp(-V/18);

a1=0.1*(-V+25)/(exp((-V+25)/10)-1);

b2=1/(exp((V+30)/10)+1);a2=0.07* exp(V/20);

m1(1)=a/(a+b);

n(1)=a1/(a1+b1);

```

```

h(1)=a2/(a2+b2);

for i=1:numel(t1)-1;

b(i)=0.125*exp(-V(i)/80);

a(i)=0.01*(-V(i)+10)/(exp((-V(i)+10)/10)-1);

b1(i)=4*exp(-V(i)/18);

a1(i)=0.1*(-V(i)+25)/(exp((-V(i)+25)/10)-1);

b2(i)=1/(exp((-V(i)+30)/10)+1);a2(1,i)=0.07* exp(-V(i)/20);

ENa = 115;

EK = -12;

El =10.6;

gNamax = 120; %max conductances

gKmax = 36;

glmax = 0.3;

gNa = gNamax*m1(i).^3*h(i);

gK = gKmax*n(i).^4;

gl = glmax;

INa = (((gNa*(V(i)-ENa))));

IK = gK*(V(i)-EK);

Il = gl*(V(i)-El);

V(i+1) = (dt1*(I(i)-( INa + IK + Il)))+V(i);

m1(i+1)=((a1(i).*(1-m1(i)))-(b1(1,i).*m1(i))).*dt1+m1(i);

n(i+1)=((a(1,i).*(1-n(i)))-(b(1,i).*n(i))).*dt1+n(i);

h(i+1)=((a2(1,i).*(1-h(i)))-(b2(1,i).*h(i))).*dt1+h(i);

end

```

```
V=V-20;  
plot(t1,Cost,t1,V)  
legend('Estimated','Reference Signal')  
xlabel( 'Time in milliseconds');  
ylabel('-V(mV)')
```